

Esercizio 3.11

Calcolo le quantità legate alla sezione.

$$W_{xx} = W_{yy} = \frac{\tilde{\pi}}{32} \cdot d^3 l^3 \cdot \left[1 - \left(\frac{d^4 l^4}{d^4 l^4} \right)^4 \right] = \frac{\tilde{\pi}}{32} \cdot d^3 l^3 \cdot [1 - d^4]$$

$$W_P = \frac{\tilde{\pi}}{16} \cdot d^3 l^3 \cdot [1 - d^4]$$

$$A = \frac{\tilde{\pi}}{4} (d^2 l^2 - d^4 l^2) = \frac{\tilde{\pi}}{4} \cdot l^2 \cdot d^2 (1 - d^2)$$

Calcolo $M_{f_{xx}}$, $M_{f_{yy}}$ e le varie σ_f .

$$|M_{f_{xx}}| = |F \cdot \lambda l|$$

$$|M_{f_{yy}}| = |F \cdot \lambda l|$$

$$\sigma_{fA} = - \frac{|M_{f_{xx}}|}{W_{xx}} = - \frac{F \cdot \lambda l}{W_{xx}}$$

$$\sigma_{fB} = + \frac{|M_{f_{yy}}|}{W_{yy}} = \frac{+ F \cdot \lambda l}{W_{yy}}$$

$$\sigma_{fC} = + \frac{|M_{f_{xx}}|}{W_{xx}} = + \frac{F \cdot \lambda l}{W_{xx}}$$

Calcolo T e le varie T_T . Ho 2 tagli in direzioni diverse.

$$|T_{xx}| = |F| \quad \text{coincidentalmente hanno la stessa entità}$$

$$|T_{yy}| = |F|$$

$$|T_{TA}| = \frac{|T_{yy}|}{A} \cdot \frac{4}{3} \cdot \left(1 + \frac{1}{d + \frac{1}{d}} \right) = \frac{F}{A} \cdot \frac{4}{3} \left(1 + \frac{1}{d + \frac{1}{d}} \right)$$

$$|T_{TB}| = \frac{|T_{xx}|}{A} \cdot \frac{4}{3} \left(1 + \frac{1}{d + \frac{1}{d}} \right) = \frac{F}{A} \cdot \frac{4}{3} \left(1 + \frac{1}{d + \frac{1}{d}} \right)$$

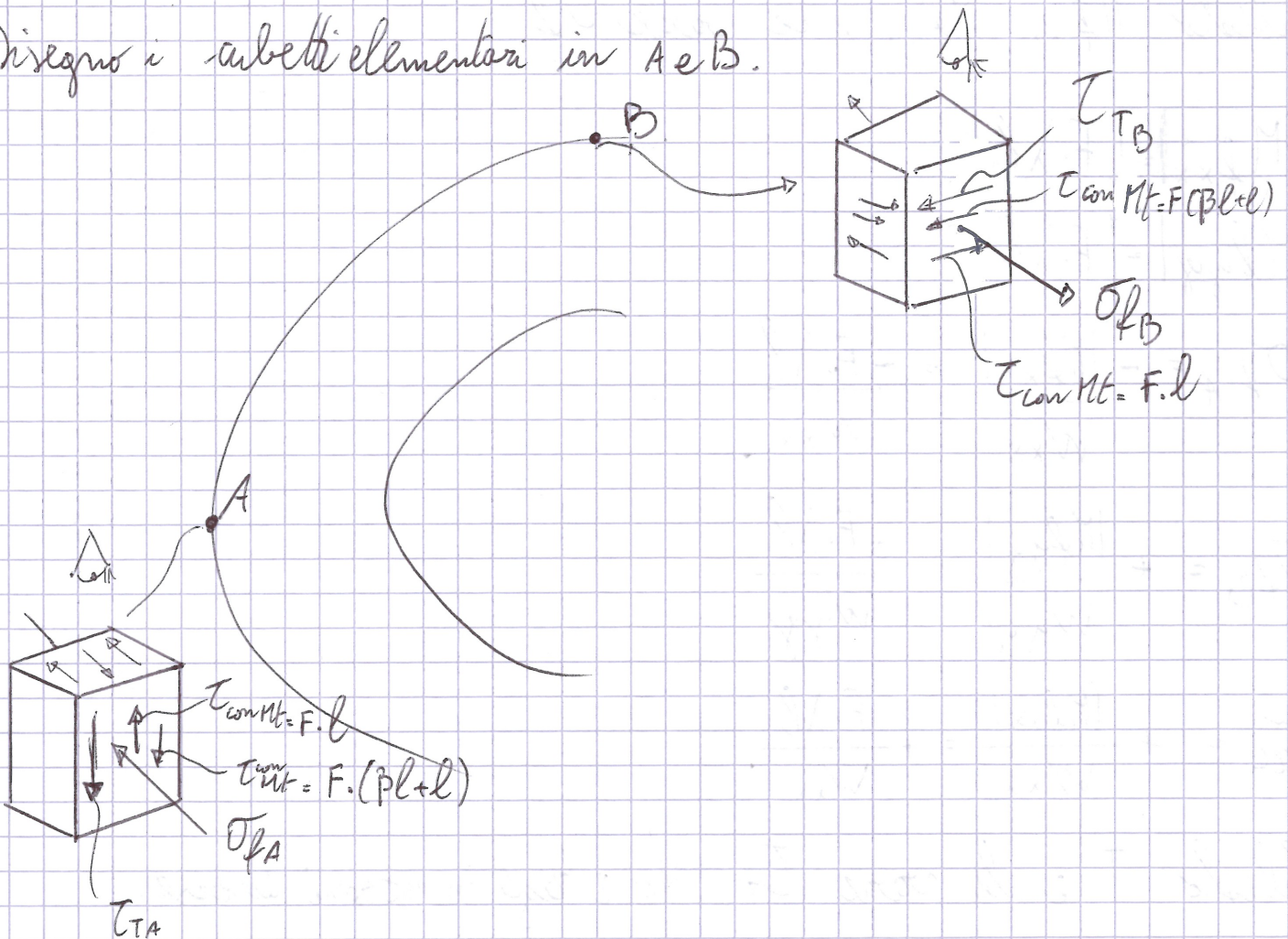
$$|\tau_{Tol}| = \frac{|T_{qy}|}{A} \cdot \frac{4}{3} \cdot \left(1 + \frac{1}{d + \frac{1}{2}}\right)$$

Calcolo M e le varie τ_{M}

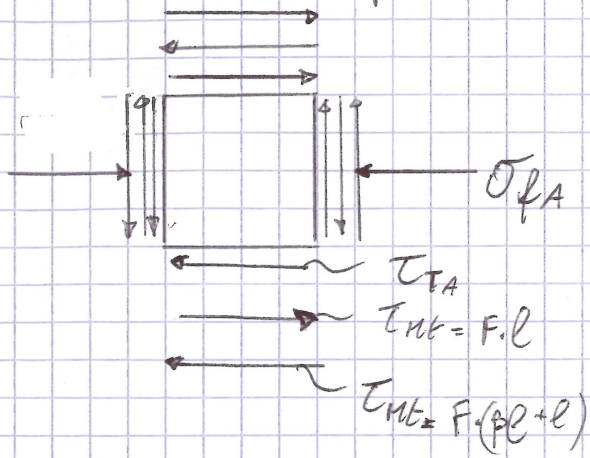
$|M_L| = |(F \cdot l) - F \cdot (\beta l + l)|$ ho 2 contributi, opposti tra loro, ma con intensità generalmente diversa tra loro.

$$|\tau_{MA}| = |\tau_{MB}| = |\tau_{MC}| = \frac{|M_L|}{W_P}$$

Disegno i cubetti elementari in A e B.

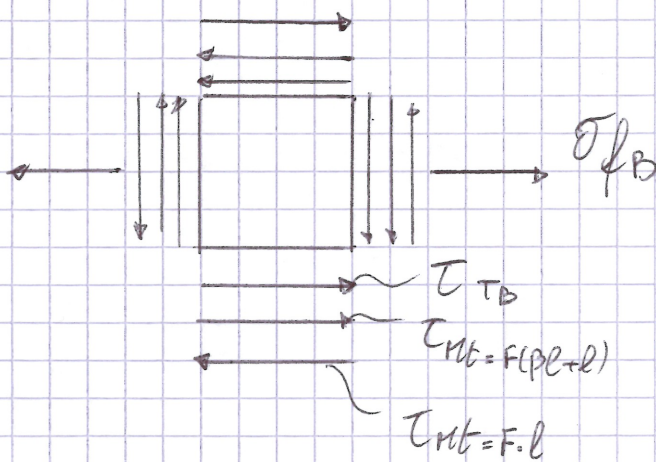


Calcolo le tensioni principali per A. Vedi il cubo dall'alto.



$$\sigma_{1-2} = \frac{\sigma_{fA}}{2} \pm \sqrt{\frac{\sigma_{fA}^2}{4} + \left(\tau_{TA} + \tau_{Mt} = F \cdot (pl + e) - \tau_{Mt} = F \cdot e \right)^2}$$

Calcolo le tensioni principali per B. Vedi il cubo dall'alto.



$$\sigma_{1-2} = \frac{\sigma_{fB}}{2} \pm \sqrt{\frac{\sigma_{fB}^2}{4} + \left(\tau_{TB} + \tau_{Mt} = F \cdot (pl + e) - \tau_{Mt} = F \cdot l \right)^2}$$